



Formalization of Self-Organizing Multi-Agent Systems with Event-B and Design Patterns (Tool usage)

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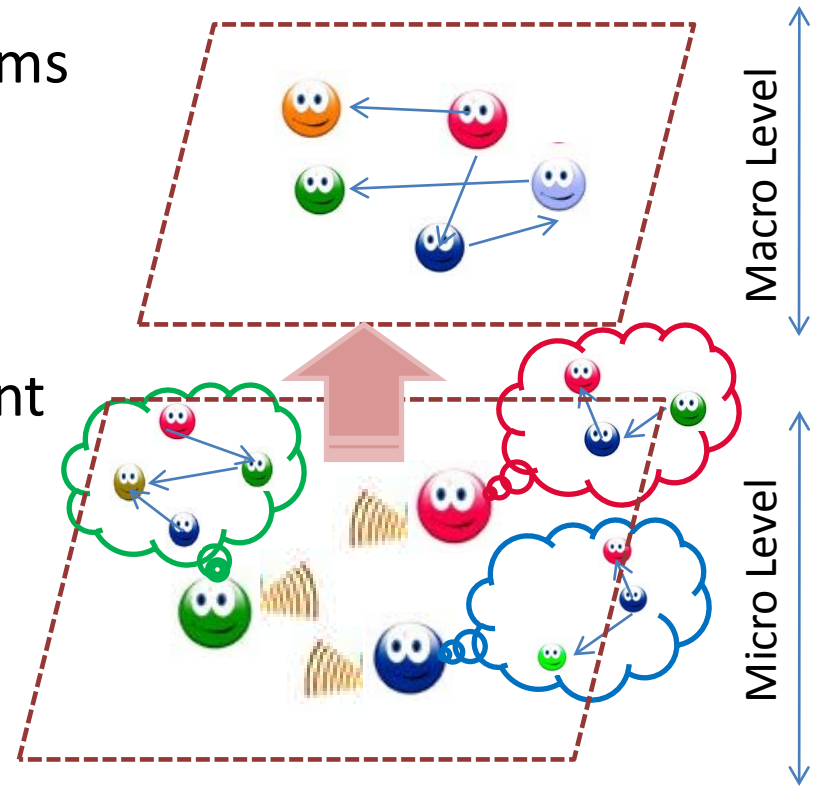
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Talk outline

- Context & Motivations
- Formal Modelling of SOMAS
- Case Study: Foraging Ants
- Conclusion & Open Questions

Context

- ❑ Self-Organizing Multi-Agent Systems
 - ❑ Autonomous agents
 - ❑ Local information and interactions
 - ❑ The global function is emergent
- ❑ Bottom-up design
- ❑ Simulation & testing



How to ensure that the designed entities, when interacting together, will give rise to the desired behavior?

➔ Need for rigorous approaches

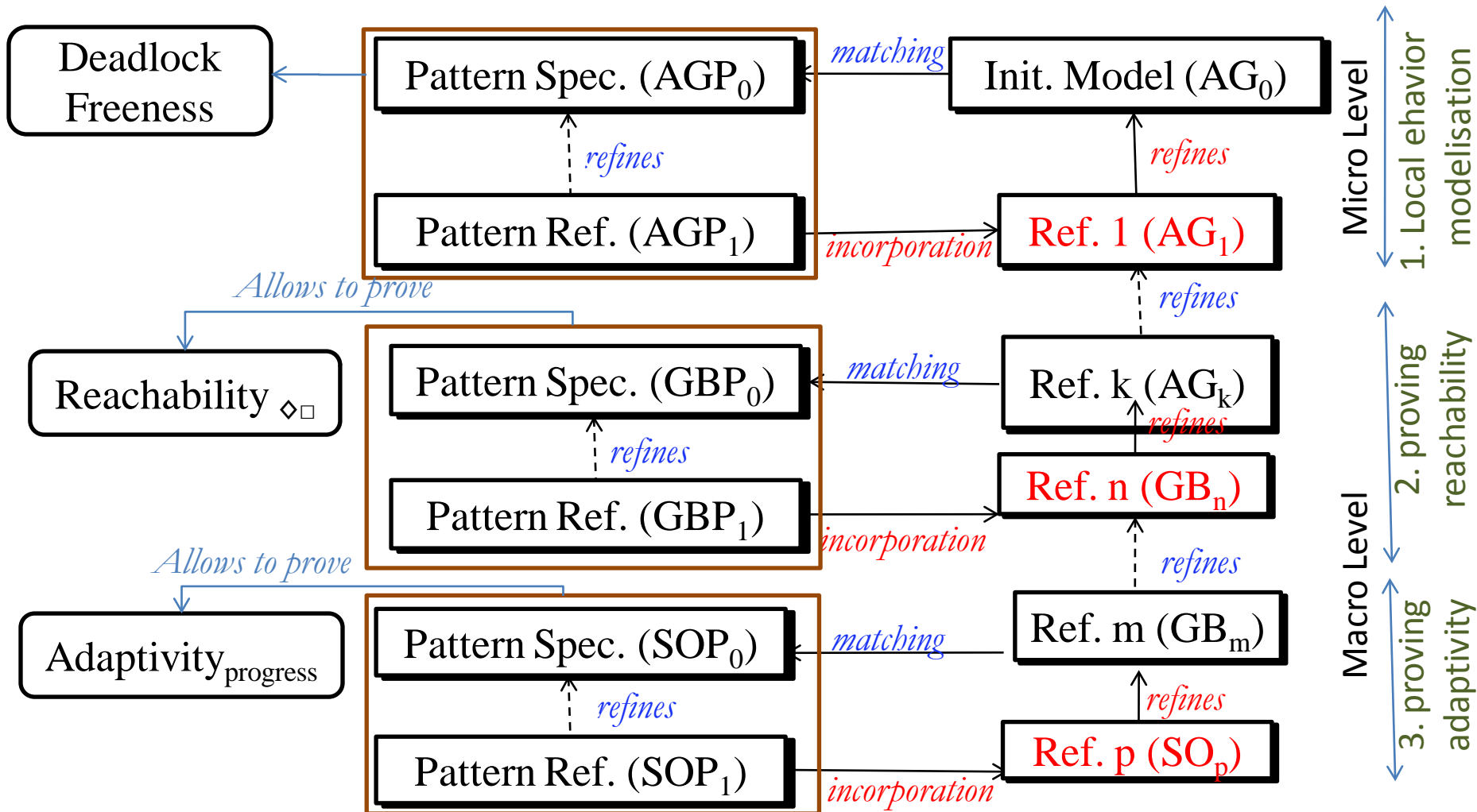
Motivations

➔ Our proposition: Starting from a running self-organizing system providing emergent behaviour, we want to formally prove the obtained result

We use:

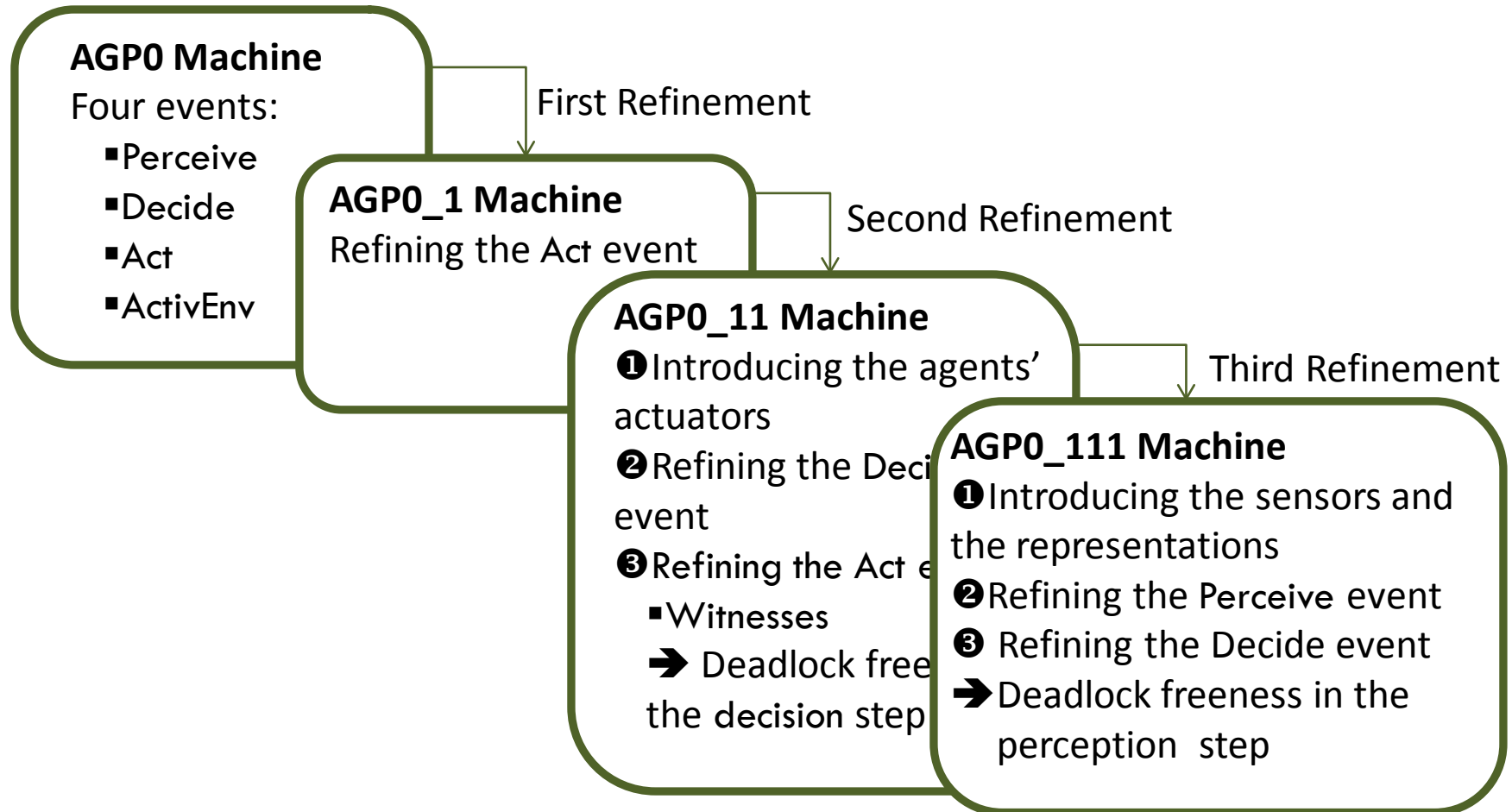
- Event-B as a modelling language
- Patterns giving guidance for refinement and proof
 - Reachability
 - Resilience
- Tools: Rodin platform and Patterns plug-in

Our Framework in a Nutshell



The Agent Pattern

- Goal: to design a correct local behavior of an agent type
- Pattern refinement



The Global Behavior Pattern (1/2)

- Goal: reason about the convergence of the system
Reach $\triangleq \diamond \square$ taskAchieved
- The proof pattern *GBP*
 - The machine GBP_0

variables GoalReached, SysState

Invariants

@inv1 GoalReached \in STATES \rightarrow **BOOL**

@inv2 SysState \in STATES

anticipated event ObserveSuccess

where

@grd1 GoalReached(SysState)=TRUE

end

Events

anticipated event Act **refines** Act

any agent

where

@grd1 agent \in Agents

@grd2 actionAgent(agent) \neq noAction

then

@act1 modeAgent(agent) := nonActive

@act2 GoalReached: | GoalReached'(SysState) \in **BOOL**

end

The Global Behavior Pattern (2/2)

- The machine GBP_1 refines GBP_0

variables GoalReached, SysState,
GoalReachabilityProgression

Invariants

@inv1 GoalReachabilityProgression \in STATES $\rightarrow \mathbb{Z}$

Variant GoalReachabilityProgression(SysState)

anticipated event ObserveSuccess

refines ObserveSuccess

where

@grd1

GoalReached(SysState)=TRUE

end

Events

convergent event Act **refines** Act

any agent

where

@grd1 agent \in Agents

@grd2 actionAgent(agent) \neq noAction

@grd3 GoalReached(SysState) = FALSE

@grd4 GoalReachabilityProgression(SysState) \neq 0

then

@act1 modeAgent(agent) := nonActive

@act2 GoalReached, GoalReachabilityProgression: |GoalReached'(SysState) \in BOOL
 \wedge GoalReachabilityProgression'(SysState) < GoalReachabilityProgression(SysState)

end

The Self-Organisation Pattern(1/3)

- Goal: reason about the ability of the system to self-adapt

Adaptivity \triangleq \square (Perturb \Rightarrow \diamond SuccessSO)

- The proof pattern *SOP*

- The machine *SOP₀*

variables SysState, Perturb, SuccessSO

Invariants

@inv1 SysState \in STATES

@inv2 SuccessSO \in STATES \rightarrow **BOOL**

@inv3 Perturb \in STATES \rightarrow **BOOL**

event Perturbation

refines ActEnvironment

then

@act1 Perturb(SysState) := TRUE

end

Events

anticipated event Act **refines** Act

any agent

where

@grd1 agent \in Agents

@grd2 actionAgent(agent) \neq noAction

then

@act1 modeAgent(agent) := nonActive

@act2 SuccessSO: | SuccessSO'(SysState) \in **BOOL**

end

anticipated event ObserveSOSuccess

where

@grd1 SuccessSO(SysState) = TRUE

end

The Self-Organisation Pattern(2/3)

- The machine SOP_1 refines SOP_0

variables SysState, Perturb, SuccessSO,
SOProgression

Invariants

@inv1 SOProgression \in STATES $\rightarrow \mathbb{Z}$

Variants SOProgression(SysState)

event Perturbation

refines ActEnvironment

then

@act1 Perturb(SysState) := TRUE

end

Events

convergent event ApplySO **refines** Act

any agent

where

@grd1 agent \in Agents

@grd2 actionAgent(agent) \neq noAction

@grd3 SuccessSO = FALSE

@grd4 SOProgression \neq 0

then

@act1 modeAgent(agent) := nonActive

@act2 SuccessSO, SOProgression:

SuccessSO'(SysState) \in BOOL

\wedge SOProgression'(SysState) $<$ SOProgression(SysState)

end

anticipated event ObserveSOSuccess

where

@grd1 SuccessSO(SysState) = TRUE

end

The Self-Organisation Pattern(3/3)

- Given the following invariant:

$\text{Perturb} \wedge \neg \text{SuccessSO} \Rightarrow$

$(\exists \text{ ag. ag} \in \text{Agents} \wedge \text{SOProgression} \neq 0)$

- We need to prove the following theorems:

- Theorem1: to be proved for every event

$\exists \text{ ag. ag} \in \text{Agents} \wedge \text{SOProgression} \neq 0 \wedge \neg \text{SuccessSO} \Rightarrow$

$((\exists \text{ ag. ag} \in \text{Agents} \wedge \text{SOProgression} \neq 0) \vee \text{SuccessSO})$

- Theorem2

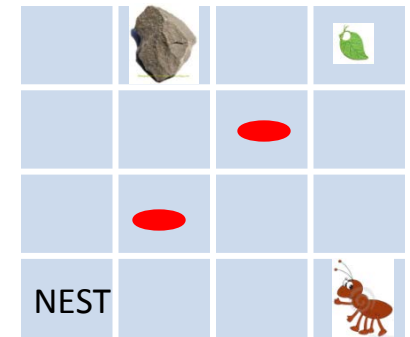
□ $\diamond ((\forall \text{ ag. ag} \in \text{Agents} \wedge \text{SOProgression} = 0) \vee \text{SuccessSO})$

➔ Every event describing a state where SO is not yet achieved is convergent

➔ The machine SOP_1 is deadlock free in a state where SO is not yet achieved

Foraging Ants Case Study: Micro Level Description

- Micro Level
 - Every ant is an agent
 - Property : current location
 - Representations: food, pheromone, obstacles and ants
 - Decision: choose the next location
 - Actions: Move, Drop pheromone, Harvest food, Drop food



➔ Agents pattern → Deadlocked free behavior

Foraging ants: Macro Level Properties

□ Reach1. The ants are able to bring all the food to the nest

$$\diamond(\square(\text{QuantityFood}(\text{Nest})=\text{TotalFood}(\text{InitDistFood}) \wedge \forall \text{loc}.\text{loc} \in \text{Locations} \setminus \{\text{Nest}\} \Rightarrow (\text{QuantityFood}(\text{loc})=0))$$

→ Global Behavior pattern → Reach1

Foraging ants: Macro Level Properties

□ SO1. When a source of food is reached, the ants are able to focus on its exploitation

□ $(\forall \text{loc}.\text{loc} \in \text{Locations} \setminus \{\text{Nest}\} \wedge \text{InitDistFood}(\text{loc}) \neq 0 \wedge \text{Detected}(\text{loc}) \Rightarrow \diamond(\text{QuantityFood}(\text{loc}) = 0))$

□ SO2. When a detected source of food disappears, the ants can continue the environment exploration.

□ $((\exists l.l \in \text{Locations} \wedge \text{QuantityFood}(l) > 0 \wedge (\forall \text{loc1}.\text{loc1} \in \text{Locations} \setminus \{\text{Nest}\} \wedge \text{EntirelyExploited}(\text{loc1}) \Rightarrow \diamond(\exists \text{loc2}.\text{loc2} \in \text{Locations} \wedge \text{loc2} \neq \text{loc1} \wedge \text{QuantityFood}(\text{loc2}) \neq 0 \wedge \text{Detected}(\text{loc2})))$

➔ Self-Organisation pattern → SO1 and SO2

Conclusion

- ❑ The use of the patterns gives an important guidance for self-organizing MAS designers
 - ❑ When defining the local behavior of the agents
 - ❑ When describing what should be proved for proving global properties

Open Questions

- ❑ What about a fully automatic process for applying patterns?
 - ❑ Matching is done manually
- ❑ The proof patterns do not describe how to prove the global properties
 - ❑ How these patterns can be improved in order to make the proofs easier?
 - ❑ It is possible to unify simulation and formal verification in one framework in order to reason rigorously about SOMAS?

Thank You For Your Feedback

Thank you For
Linas Laibinis & Elena Troubitsyna