

# Automated transformation of Event-B machines into EB4EB deep instances<sup>\*</sup>

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Recent advances in Event-B and its uses has led to the definition of the EB4EB framework [1], a reflexive meta-modelling of Event-B within Event-B. This framework offers the possibility to express an Event-B machine as a set of *first-order logic and set theory formulae*, and makes it possible to quantify over the constituents of an Event-B model. In turns, this enables the definition, among other things, of new custom proof obligations, or so-called *analyses*.

At its core, this framework is associated to two instantiation mechanisms, which rely on the definition of the various parts of an Event-B model in a context, as a set of algebraic equations. Although the link between said equations and the source machine is not hard to grasp, the transformation from the source Event-B model to the corresponding Event-B context is done manually, which can be tedious and error-prone.

In this proposition, we aim at mitigating this issue by providing a plug-in for the Rodin platform that effectively automates this transformation. The input of the transformation is a standard Event-B machine defined in Rodin, and the output is a corresponding context, that contains the “deep” instance (a context) of EB4EB that represents that machine.

*The EB<sub>4</sub>EB Framework.* The EB4EB framework [1] takes the form of a set of theories formalising Event-B models using constructive data-types and associated operators. Figure 1a presents the main data-type of the theory. Said data-type defines fields for every component of a machine. It is generic on *STATE*, the state-space of the machine, and on *EVENT*, the set of labels used for the events of the machine.

A so-called “deep” instance of the theory is created by following the template presented in Figure 1b. It essentially consists in defining each field of the **Machine** data-type, usually using set comprehensions.

*The transformation plug-in.* As stated previously, the input of the transformation is an Event-B machine as present in Rodin (i.e., a `.bum` file). Forming the deep instance from the existing machine requires the following main steps:

1. type each variable and aggregate the types to provide an instance to the *STATE* type parameter;

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<pre> <b>THEORY</b> EvtBStruc <b>TYPE PARAMETERS</b> <i>EVENT</i>, <i>STATE</i> <b>DATA TYPES</b> Machine(<i>STATE</i>, <i>EVENT</i>) <b>constructors</b> Cons_machine(   Event : <math>\mathbb{P}(\text{EVENT})</math>,   State : <math>\mathbb{P}(\text{STATE})</math>,   Init : <i>EVENT</i>,   Progress : <math>\mathbb{P}(\text{EVENT})</math>,   AP : <math>\mathbb{P}(\text{STATE})</math>,   Grd : <math>\mathbb{P}(\text{EVENT} \times \text{STATE})</math>,   BAP : <math>\mathbb{P}(\text{EVENT} \times (\text{STATE} \times \text{STATE}))</math>,   Inv : <math>\mathbb{P}(\text{STATE})</math>,   Thm : <math>\mathbb{P}(\text{STATE})</math>,   Variant : <math>\mathbb{P}(\text{STATE} \times \mathbb{Z})</math>,   Ordinary : <math>\mathbb{P}(\text{EVENT})</math>,   Convergent : <math>\mathbb{P}(\text{EVENT})</math> ) </pre>	<pre> <b>CONTEXT</b> Deep <b>SETS</b> Ev, ... <b>CONSTANTS</b> mch, ... <b>AXIOMS</b> axm1: partition(Ev, ...) axm2: <math>mch \in \text{Machine}(\dots, Ev)</math> axm3: <math>\text{Event}(mch) = Ev</math> axm4: <math>\text{State}(mch) = \dots</math> axm5: <math>\text{Init}(mch) = \dots</math> axm6: <math>\text{Progress}(mch) = \{\dots\}</math> axm7: <math>\text{AP}(mch) = \{\dots\}</math> axm8: <math>\text{Grd}(mch) = \{\dots\}</math> axm9: <math>\text{BAP}(mch) = \{\dots\}</math> axm10: <math>\text{Inv}(mch) = \{\dots\}</math> axm11: <math>\text{Thm}(mch) = \{\dots\}</math> axm12: <math>\text{Variant}(mch) = \{\dots\}</math> axm13: <math>\text{Ordinary}(mch) = \{\dots\}</math> axm14: <math>\text{Convergent}(mch) = \{\dots\}</math> ... </pre>
(a) Machine data-type definition	(b) Deep instantiation template

Fig. 1: The Machine data-type and its use

2. associate a label to each event and gather them to provide an instance to the *EVENT* type parameter;
3. generate the context and the equations for each field following the template of Figure 1b;
4. generate each set comprehension by aggregating the predicates located in each associated field of the machine, with the variables as the quantified variables of the comprehension (+ their primed version for the BAP).

These steps have been mechanised in the form of a plug-in for the Rodin platform. The plug-in adds an entry in the context menu associated to a machine. Clicking the entry starts the transformation and effectively generates a context (a .buc file) with the deep instance. It also sets up a theory path to be able to reference EB4EB’s core theories. Note that the EB4EB core theories must be available in the current workspace.

*Conclusion* The provided plug-in enables the generation of an EB4EB deep instance from an existing Event-B machine, allowing the user to use the various tools associated to the framework on said machine.

It is to be noted that the plug-in’s architecture makes it easy to “customise” it in order to generate additional elements. It also provides the capability to define and process custom *annotations* on a model, although this feature is still in early stage, and not fully functional.

The plug-in is open source and available at [https://github.com/r-sangoi/custom\\_po\\_eb4eb\\_rodin](https://github.com/r-sangoi/custom_po_eb4eb_rodin).

## References

1. Rivière, P., Singh, N.K., Ait-Ameur, Y.: Reflexive Event-B: Semantics and correctness, the EB4EB framework. IEEE Trans. Reliab. 73(2), 835–850 (2024), <https://doi.org/10.1109/TR.2022.3219649>